

Designing of efficient fpga pipelined architecture using spiht algorithm

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Abstract - In this paper we present an efficient implementation of image compression of images through `Set Partitioning in Hierarchical Trees. (SPIHT) algorithm using FPGA. Routine SPIHT is reconfigurable logic. Traditionally computations requiring the high performance of a custom hardware implementation involved the development and fabrication of an Application Specific Integrated Circuit (ASIC). Development of an ASIC requires several steps. The circuit must be designed and then fabricated. SPIHT is a wavelet-based image compression coder. SPIHT is an algorithm which basically converts the image into its wavelet transform and then transmits the information in string of embedded coefficient. SPIHT is the method of coding and decoding the wavelet transformation of an image. By coding and transmitting information about the discrete wavelet coefficient, it is possible for a decoder to perform an inverse transformation on the wavelet and reconstruct the original image. The spiht algorithm can be applied to both grey scales as well as on color images. In this paper, the error resilience and compression speed are improved. The spiht coder is a highly improved version of L-Z algorithm and is an impactful image compression algorithm that produces an embedded bit stream from which the best reconstructed images can be extracted at various bit rates in the sense of mean square error. Some of the best results from SPIHT algorithm-PSNR values for given compression ratios for wide variety of images. Hence, it has become the benchmark state of algorithm for image compression

Index Terms – Image Compression, Spiht Encoding, Decoding, Spiht algorithm, decompression Images,LIS, LSP.

I. INTRODUCTION

With the growth of modern technology, and the entrance into digital era, the world has found itself a huge amount of information. Dealing with such huge information can often present hurdles. Image compression is the thing under which this kind of hurdles can be rectified. The key component of image compression is irrelevancy and redundancy. In this paper we introduces 2-D image using Discrete Wavelet Transform (DWT) processor for SPIHT. An effective DWT algorithm has been performed on input image file to get the decomposed image coefficients. The Lifting Scheme reduces the number of operations execution steps to almost one-half of those needed with a conventional convolution approach. The DWT modules were simulated using FPGA design tools. The final design was verified with Mat lab image processing tools. Comparison of simulation results Mat lab was done to verify the proper functionality of the developed module. The motivation in designing the hardware modules of the DWT was to reduce its complexity, enhance its performance and to make it suitable development on are configurable FPGA based platform for VLSI implementation. Distortion was evaluated for all images and compression rates by the Peak Signal-to-Noise Ratio (PSNR).

Architecture of Wavelet

Wavelet compression involves a way analyzing an uncompressed image in a recursive fashion, resulting in a series of higher resolution images, each “adding to” the information content in lower resolution images. The primary steps in wavelet compression are performing a discrete wavelet Transformation (DWT), quantization of the wavelet-space image subbands, and then encoding these sub bands. Wavelet images by and of themselves are not compressed images; rather it is quantization and encoding stages that do the image compression and to store the compressed image. Wavelet compression inherently results in a set of multi-resolution images; it is well suited to working with large imagery which needs to be selectively viewed at different resolution, as only the levels containing the required level of detail need to be decompressed. The following diagram shows wavelet based compression.

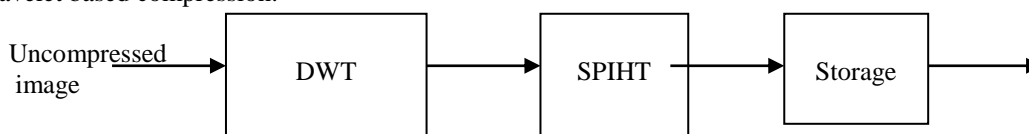


Fig.1.1. Wavelet based image compression

Decomposition Process

The image is high and low-pass filtered along the rows. Results of each filter are down sampled by two. The two sub-signals correspond to the high and low frequency components along the rows, each having a size N by $N/2$. Each of the sub-signals is then again high and low-pass filtered, but now along the column data and the results is again down-sampled by two.

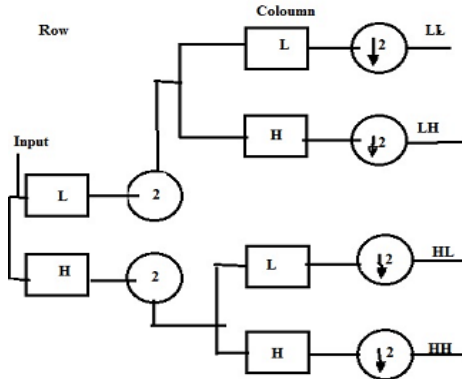


Fig.1.2 One decomposition step of the two dimensional Image

Hence, the original data is split into four sub-images each of size $N/2$ by $N/2$ and contains information from different frequency components. Figure 1.2 shows the block wise representation of decomposition step.

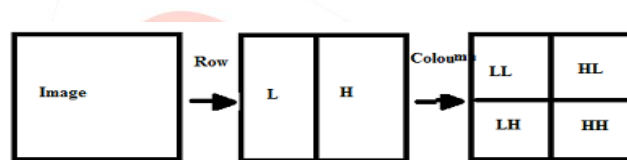


Fig. 1.2.1 one decomposition Step

2. DISCRETE WAVELET TRANSFORM

Integer DWT is a more efficient approach to lossless compression whose coefficients are exactly represented by finite precision numbers. It allows for truly lossless encoding. IWT can be computed starting from any real valued wavelet filter by means of a straightforward modification of the lifting schema. DWT is able to reduce the number of bits for the sample storage (memories, registers and etc.) and to use simpler filtering units.

2.1.1 Disadvantages of DCT over DWT

DCT are only spatial correlation of the pixels inside the single 2-D block is considered and the correlation from the pixels of the neighboring blocks is neglected. It is impossible to completely decorrelate the blocks at their boundaries using DCT. Undesirable blocking artifacts affect the reconstructed images or video frames. (High compression ratios or very low bit rates)

2.1.2 Advantages of DWT over DCT are as FOLLOW

No need to divide the input coding into non-overlapping 2-D blocks, it has higher compression ratios avoid blocking artifacts. DWT allows good localization both in time and spatial frequency domain. Transformation of the whole image → introduces inherent scaling Better identification of which data is relevant to human perception → higher compression ratio in DWT compared to DCT. Higher flexibility: i.e. Wavelet function can be freely chosen in DWT. No need to divide the input coding into non-overlapping 2-D blocks, it has higher compression ratios avoid blocking artifacts. Transformation of the whole image → introduces inherent scaling. DWT has Better identification of which data is relevant to human perception → higher compression ratio (64:1 vs. 500:1)

3. SPIHT (SET PARTITIONING IN HIERARCHICAL TREE)

(Set partitioning in hierarchical trees) algorithm was introduced by Said and Pearlman, which deals with the spatial orientation tree structure, and can effectively extract the significant coefficients in wavelet domain. SPIHT has extremely flexible features of bit stream than JPEG2000, but SPIHT has low structure and algorithm complexity relatively, and supports multi-rate, has high peak signal-to-noise ratio (SNR) and good image restoration quality, so it is suitable for encoding with a high real-time requirement. Wavelet domain coefficients are scanned by three lists of SPIHT, which named: the list of insignificant pixels (LIP), the list of significant pixels (LSP) and the list of insignificant pixels sets (LIS). Each scanning starts from highest bit-plane to the lowest bit-plane. The encoding speed is limited by repetitive scans and dynamic update of three lists. SPIHT shows exceptional characteristics over several properties which includes: Good image quality with a high PSNR Fast rate of coding and decoding. A fully progressive bit-stream can be used for lossless compression. Combined with error protection Ability to code for exact bit rate or PSNR

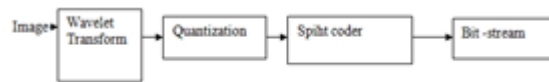


Fig.3.1 Basic block diagram of SPIHT.

3.1.2 SPATIAL ORIENTATION TREES

Normally, most of the image's energy is concentrated in the low frequency components. As a result, the variance decreases as one move from the highest to the lowest of the sub band . There is a spatial self-similarity between sub bands, and the coefficients are expected to be better magnitude-ordered as one move downward in the pyramid following the same spatial orientation. A tree structure, called spatial orientation tree, naturally defines the spatial relationship on the hierarchical pyramid.

- o Fig. 1 shows how the spatial orientation tree is defined in a tabular form constructed with recursive four-band splitting. Normally, most of an image's energy is concentrated in the low frequency components.
- o Consequently, the variance decreases as we move from the highest to the lowest levels of the subband pyramid.
- o Furthermore, it has been observed that there is a spatial self-similarity between subbands, and the coefficients are expected to be better magnitude-ordered if we move downward in the pyramid following the same spatial orientation.
- o A tree structure, called spatial orientation tree (SOT), naturally defines the spatial relationship on the hierarchical pyramid.
- o Each node of the tree corresponds to a pixel and is identified by the pixel coordinate.
- o Its direct descendants (offspring) correspond to the pixels of the same spatial orientation in the next finer level of the pyramid.
- o The tree is defined in such a way that each node has either no offspring (the leaves) or four offspring, which always form a group of 2x2 adjacent pixels.
- o In Fig.2, the arrows are oriented from the parent node to its four offspring.
- o The pixels in the highest level of the pyramid are the tree roots and are also grouped in 2 x 2 adjacent pixels.

However, their offspring branching rule is different, and in each group, one of them (indicated by the star in Fig.3.1.2) has no descendants.

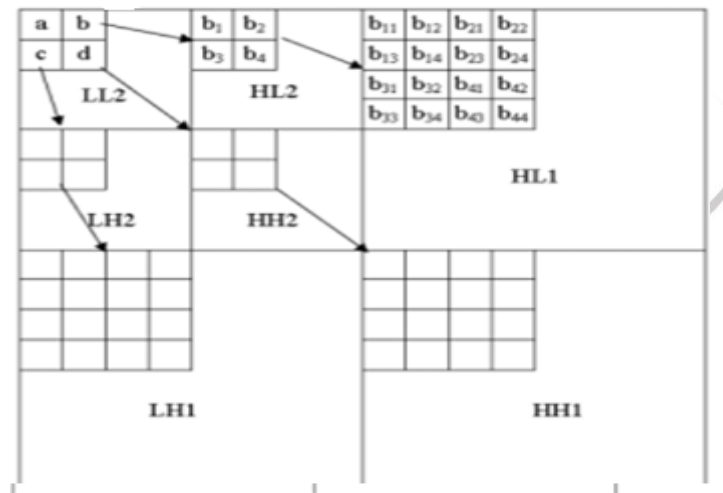


Fig.3.1.2 Spatial Orientation Tree

4. ALGORITHM OF CODING

Since the order in which the subsets are tested for significance is important, in a practical implementation the significance information is stored in three ordered lists, called list of insignificant sets (LIS), list of insignificant pixels (LIP), and list of significant pixels (LSP).

In all lists each entry is identified by a coordinate (i, j) , which in the LIP and LSP represents individual pixels, and in the LIS represents either the set $D(i, j)$ or $L(i, j)$.

To differentiate between them, we say that a LIS entry is of type A if it represents $D(i, j)$, and of type B if it represents $L(i, j)$.

During the sorting pass (see *Algorithm 1*), the pixels in the LIP-which were insignificant in the previous pass-are tested, and those that become significant are moved to the LSP.

Similarly, sets are sequentially evaluated following the LIS order, and when a set is found to be significant it is removed from the list and partitioned.

The new subsets with more than one element are added back to the LIS, while the single-coordinate sets are added to the end of the LIP or the LSP, depending whether they are insignificant or significant, respectively.

The LSP contains the coordinates of the pixels that are visited in the refinement pass.

Below we present the new encoding algorithm in its entirety. It is essentially equal to *Algorithm 1*, but uses the set partitioning approach in its sorting pass.

The algorithm that operates through set partitioning in hierarchical trees (SPIHT) accomplishes completely embedded coding.

This SPIHT algorithm uses the principles of partial ordering by magnitude, set partitioning by significance of magnitudes with respect to a sequence of octavely decreasing thresholds, ordered bit plane transmission, and self-similarity across scale in an image wavelet transform.

The realization of these principles in matched coding and decoding algorithms is more effective than the implementations of EZW coding.

The results of this coding algorithm with its embedded code and fast execution are so impressive that it is a serious candidate for standardization in future image compression system

Process LIS

```

for each set (i,j) in LIS
if type D
Send Sn(D(i,j))
If Sn(D(i,j))=1
for each (k,l)∈ O(i,j)
outputSn(k,l)
ifSn(k,l)=1, then add (k,l) to the LSP and output sign of coeff: 0/1 = -/+
ifSn(k,l)=0, then add (k,l) to the end of the LIP
endfor
endif
else (type L )
Send Sn(L(i,j))
If Sn(L(i,j))=1
add each (k,l) ∈O(i,j) to the end of the LIS as an entry of type D
remove (i,j) from the LIS
end if on type
End loop over LIS
    
```

Refinement Pass

Process LSP

```

for each element (i,j) in LSP – except those just added above
Output the nth most significant bit of coeff
End loop over LSP
    
```

Update

```

Decrement n by 1
Go to Significance Map Encoding Step
    
```

Adaptive Arithmetic Code (Optional)

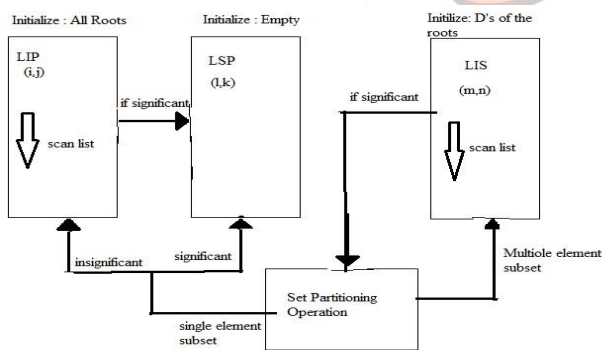


Fig.4.1 Sorting Pass

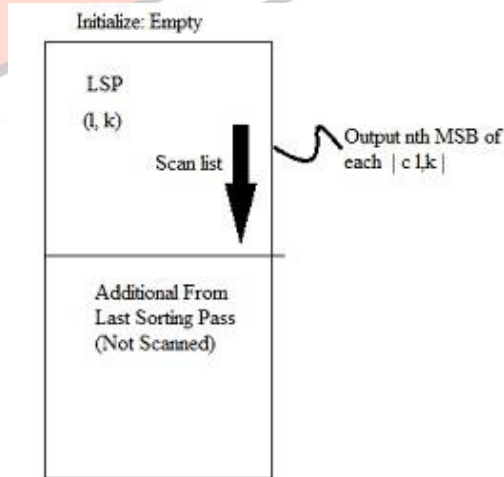


fig. 4.1.2 Refined Pass

SPIHT with list needs dynamic operation and it is difficult for high speed application. SPIHT without list is used in real time application. This architecture uses fixed order processing through pixel nodes. It offers fast operation. In this paper we implement the SPIHT without list architecture with breadth first search order,

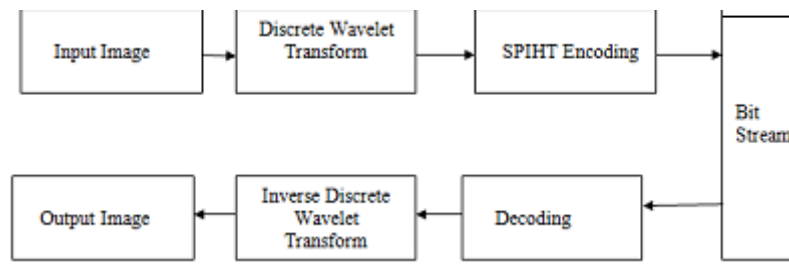


Fig.4.1.3 Image compression Block Diagram of Set Partitioning in Hierarchical Tree.

5 TERMS USED IN IMAGE COMPRESSION

There are various types of terms that are used in calculation of image compression. Some are

Listed below:

5.1.1 Peak signal to noise ratio

The phrase peak signal-to-noise ratio, often abbreviated PSNR, is an engineering term for the ratio between the maximum possible power of a signal and the power of corrupting noise that affects the fidelity of its representation. Because many signals have a very wide dynamic range, PSNR is usually expressed in terms of the logarithmic decibel scale.

The PSNR is most commonly used as a measure of quality of reconstruction in image compression etc. It is most easily defined via the mean squared error (MSE) which for two $m \times n$ monochrome images I and K where one of the images is considered a noisy approximation of the other is defined as:

$$MSE = \frac{1}{MN} \sum_{i=0}^{m-1} \sum_{j=0}^{n-1} \|I(i, j) - K(i, j)\|^2$$

The PSNR is defined as:

$$PSNR = 10 \log_{10} \left(\frac{MAX_1^2}{MSE} \right) = 20 \log_{10} \left(\frac{MAX_1}{\sqrt{MSE}} \right)$$

Here, Max is the maximum possible pixel value of the image. When the pixels are represented using 8 bits per sample, this is 255. More generally, when samples are represented using linear PCM with B bits per sample, MAX₁ is 2^B-1. For color images with three RGB values per pixel, the definition of PSNR is the same except the MSE is the sum over all squared value differences divided by image size and by three. An identical image to the original will yield an undefined PSNR as the MSE will become equal to zero due to no error. In this case the PSNR value can be thought of as approaching infinity as the MSE approaches zero; this shows that a higher PSNR value provides a higher image quality. At the other end of the scale an image that comes out with all zero value pixels (black) compared to an original does not provide a PSNR of zero. This can be seen by observing the form, once again, of the MSE equation. Not all the original values will be a long distance from the zero value thus the PSNR of the image with all pixels at a value of zero is not the worst possible case.

5.1.2 Signal-to-noise ratio

It is an electrical engineering concept, also used in other fields (such as scientific measurements, biological cell signaling), defined as the ratio of a signal power to the noise power corrupting the signal. In less technical terms, signal-to-noise ratio compares the level of a desired signal (such as music) to the level of background noise. The higher the ratio, the less obtrusive the background noise is. In engineering, signal-to-noise ratio is a term for the power ratio between a signal (meaningful information) and the background noise:

$$SNR = \frac{P_{Signal}}{P_{Noise}} = \left(\frac{A_{Signal}}{A_{Signal}} \right)^2$$

Where P is average power and A is RMS amplitude. Both signal and noise power (or amplitude) must be measured at the same or equivalent points in a system, and within the same system bandwidth. Because many signals have a very wide dynamic range, SNRs are usually expressed in terms of the logarithmic decibel scale. In decibels, the SNR is, by definition, 10 times the logarithm of the power ratio. If the signal and the noise is measured across the same impedance then the SNR can be obtained by calculating 20 times the base-10 logarithm of the amplitude ratio:

$$SNR(db) = 10 \log_{10} \left(\frac{P_{Signal}}{P_{Noise}} \right) = 20 \log_{10} \left(\frac{A_{Signal}}{A_{Noise}} \right)$$

In image processing, the SNR of an image is usually defined as the ratio of the mean pixel value to the standard deviation of the pixel values. Related measures are the "contrast ratio" and the "contrast-to-noise ratio". The connection between optical power and voltage in an imaging system is linear. This usually means that the SNR of the electrical signal is calculated by the 10 log rule. With an interferometer system, however, where interest lies in the signal from one arm only, the field of the electromagnetic wave is proportional to the voltage (assuming that the intensity in the second, the reference arm is constant). Therefore the optical power of the measurement arm is directly proportional to the electrical power and electrical signals from optical interferometer are following the 20 log rule. The Rose criterion (named after Albert Rose) states that an SNR of at least 5 is needed to be able to distinguish image features at 100% certainty. An SNR less than 5 means less than 100% certainty in identifying image details.

5.1.3 Mean Square Error

In statistics, the mean square error or MSE of an estimator is one of many ways to quantify the amount by which an estimator differs from the true value of the quantity being estimated. As a loss function, MSE is called squared error loss. MSE measures the average of the square of the "error". The error is the amount by which the estimator differs from the quantity to be estimated. The difference occurs because of randomness or because the estimator doesn't account for information that could produce a more accurate estimate. The MSE is the second moment (about the origin) of the error, and thus incorporates both the variance of the estimator and its bias. For an unbiased estimator, the MSE is the variance. Like the variance, MSE has the same unit of measurement as the square of the quantity being estimated. In an analogy to standard deviation, taking the square root of MSE yields the root mean square error or RMSE, which has the same units as the quantity being estimated; for an unbiased estimator, the RMSE is the square root of the variance, known as the standard error.

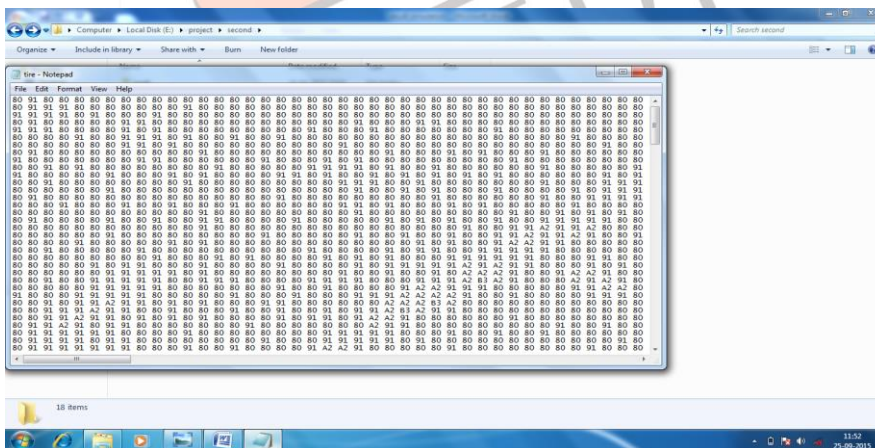
6 SIMULATIONS AND RESULTS

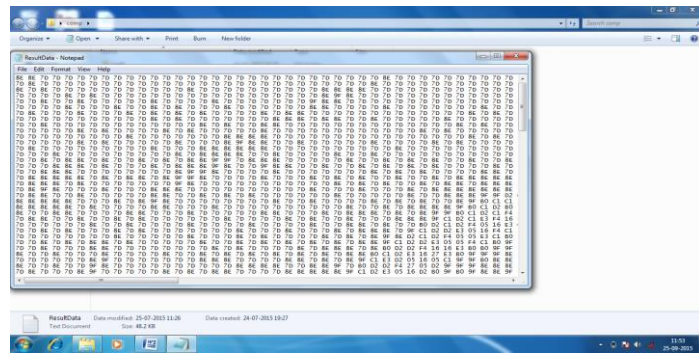
Image compression is the process of encoding information using fewer bits (or other information-bearing units) than any encoded representation would use, through use of specific encoding schemes. Image compression is minimizing the size in bytes of a graphics file without degrading the quality of the image to an unacceptable level. The reduction in file size allows more images to be stored in a given amount of disk or memory space. It also reduces the time required for images to be sent over the Internet or downloaded from WebPages.

Data Convertor is used to convert image into pixel i.e. in the form of hexadecimal numbers.

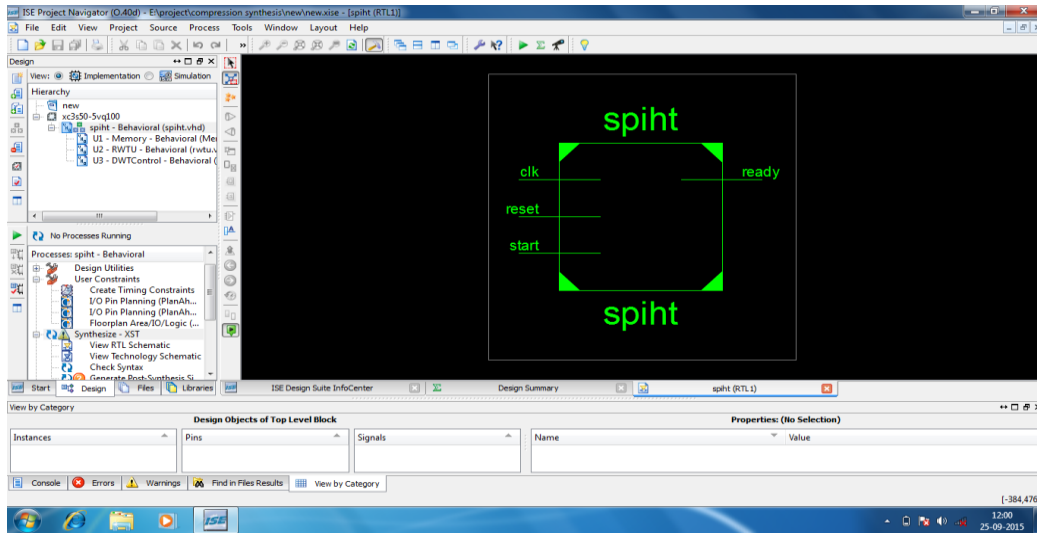


Input image which is to be converted

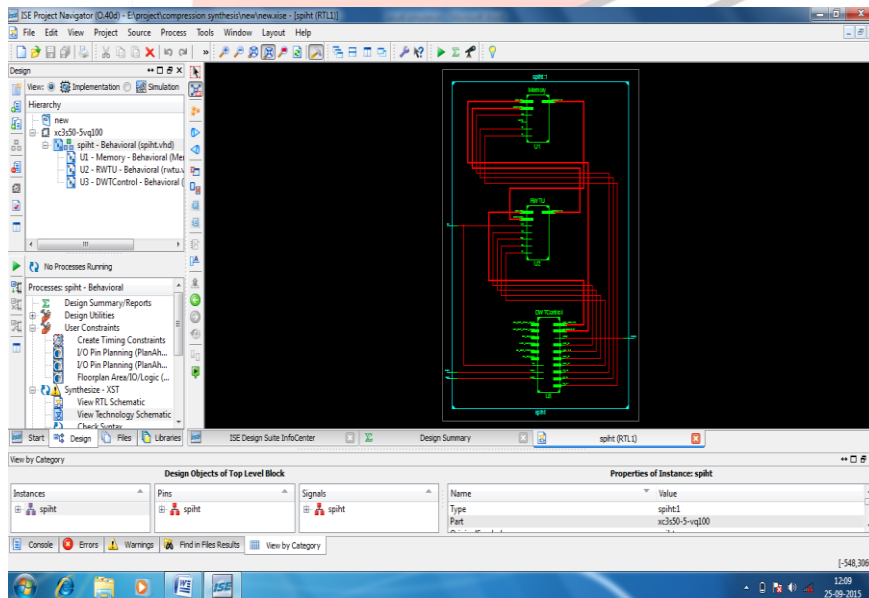




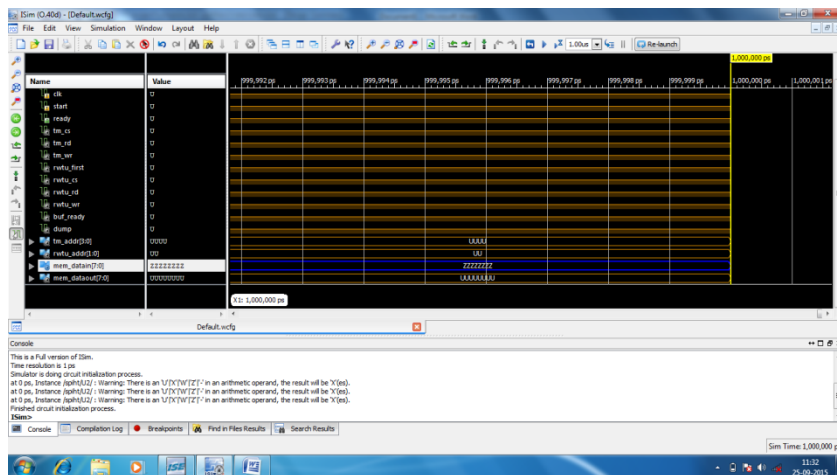
Result data after Compression of Image



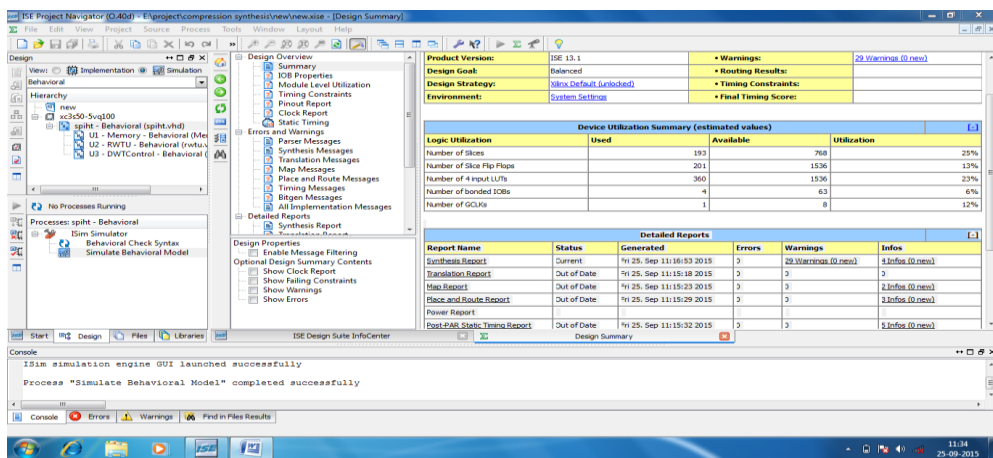
Schematic Diagram of SPIHT



RTL layout of SPIHT



Behavioral structure of decompression image



Design Summary

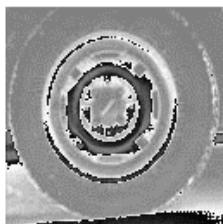


Figure 1

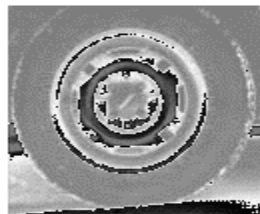


Figure 2

Calculated Parameters using Matlab2010b

- CR = 1.3333
- MSE = 310.6245
- PSNR = 17.2218

CONCLUSION

SPIHT has many advantages, such as good image quality, high PSNR and good progressive image transmission. Hence, it also has wider application in the compression of images. Atypical successful example was that an improvement to SPIHT has to be used to compress the images. Although the improvement made the memory space requirement to be optimized by some additional means, The PSNR of compressed image can improved to much more extent compared to image compressed through the SPIHT method. At

lower bit rates, the PSNR is almost identical for the original and modified versions but at higher bit rates, the PSNR is higher for the modified algorithm than the original one.

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